Average values of $h_{1}-h_{2}=2.53 \mathrm{~mm}$ and $h_{2}-h_{5}=0.47 \mathrm{~mm}$ were found for a 190-kbar shock in $12-m m$-thick samples of iron. ${ }^{25}$ If $U_{2}^{\prime}=3.578 \mathrm{~mm} / \mu \mathrm{sec}, R_{2}^{\prime}=5.69 \mathrm{~mm} / \mu \mathrm{sec}$, and $R_{1}^{\prime}=6.58 \mathrm{~mm} / \mu \mathrm{sec}$, then $h_{2}-h_{3}=.98 \mathrm{~mm}$ which is equivalent to a rise time of $0.27 \mu \mathrm{sec}$ for the plastic II wave front. This value is within the range of observed values of rise time described in the preceding section, but near the high side.

### 6.2. Slow Decay of the Stress Behind the Plastic I Shock

It was noted in Chapter 4 that $P^{T L}$ diminishes slowly with propagation distance; but that if stress jump across the plastic I front is considered, this slow decay disappears. Therefore, one can reasonably infer that the slow decay of $P^{T L}$ is due to precursor decay. The situation can be complicated by wave interactions so the inference is not conclusive.

The situation can be clarified by describing possible bounds of stress-particle velocity states at the impact boundary when an iron sample is impacted by an aluminum projectile. Figure 6.4 illustrates the pressure-particle velocity plane; dashed lines represent metastable extensions of lower pressure states and the solid lines represent equilibrium Hugoniots. The aluminum cross curve represents possible states at the impact boundary. Point A represents the maximum attainable stress at the instant of impact, and $C$ represents the equilibrium stress obtained when all time effects have disappeared. The problem of kinetics at the impact surface is to describe how fast the stress


Fig. 6.4.--Stress-particle velocity states at the impact boundary when an iron sample is impacted by an aluminum plate.

